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# **RESEARCH ARTICLE**

# A NEW GENETIC ALGORITHM BASED POLYTECHNIC COLLEGE COURSE TIMETABLING

# Dhanabalan, K<sup>1,\*</sup>., Dr. S. Nagarajan<sup>2</sup> and Dr. S. Sakthivel<sup>3</sup>

<sup>1</sup>Head of Computer Science Department, SRNM College, Sattur-626203, Tamilnadu, India
 <sup>2</sup> Prof. Department of B.Tech. (IT), Hindustan Institute of Science and Technology, Chennai, India.
 <sup>3</sup> Principal, PSNA College of Engineering and Technology, Dindugal, Tamilnadu, India.

## **ARTICLE INFO**

# ABSTRACT

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# **INTRODUCTION**

The timetabling problem is a scheduling problem where a teacher is assigned under a timeslot in a class room of suitable capacity. This assignment depends on three different types of constraints called Physical constraints, Preference constraints and Specification constraints. These constraints depend on the nature of the Institution and its priorities. Physical constraints tells that no student or teacher can attend two different classes at the same time. Preference constraints and specification constraints says that a particular class must be held in some specified time, where specification constraints are mandatory and preference constraints are optional. Since the constraints are specific to individual problems, the development of a general technique is difficult. Among the high number of possible solutions for a scheduling problem only some of them are acceptable. The majority of the problem in scheduling is caused due to the large size and complexity of the search space. Therefore instead of using exact methods heuristic algorithms can be used to obtain near optimal solution to these kind of problems. The time tabling problem is modeled as a bi-objective problem [1] used as a basis to construct feasible assignment of teachers to classes. A binary integer programming model [2] is applied to solve school timetabling problem. The timetable problem is represented as a linear 0,1 integer programming problem [10] and the solution technique based on simplex method is used to obtain the solution. Universal method for solving large highly constrained timetabling problems from different domains is solved based on evolutionary algorithm [3] framework and operates on two

\*Corresponding author: kdhanabalan@yahoo.com

The course timetabling problem is a special version of the optimization problem and it is computationally NP-hard. In this paper two methods one using binary weight and another one using normal weight instead of binary weight to teachers have been presented. Genetic algorithm in which selective two point multiple years crossover and mutation cum sequential evaluation (SMCMSE) algorithm is introduced in both the methods and test results have been compared. Both of them are proved to be useful in solving College Department as well as entire Institution Timetabling problem.

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levels. Tabu search algorithm [7,8] to solve class/teacher timetabling problem is also presented. Two automatic timetabling systems based on evolutionary algorithms [9] are described. Genetic algorithm based approaches [4, 5, 6, 11, 13, 14, 15, 16, 17, 18] were used to obtain optimal solution for the timetabling problem. A solution method [12] consists of two phases for solving the timetabling problem using local search methods and equipped with an interactive user–intervention facility is presented.

In this paper use of genetic algorithm for developing a common time table for a Polytechnic College is considered. The teachers are represented by binary  $2^1$  where i is the number of the teacher. If there are n teachers the teachers are represented as  $2^1$ ,  $2^2$ ,  $2^3$  ..... $2^n$ . The solution found at each stage will be a feasible solution. The paper is organized as follows. In Section 2 timetabling problem representations along with the terminology and the set of constraints used are given. In section 3 the proposed methods are explained in detail. Section 4 is devoted to discuss the experimental results obtained using the proposed method.

## The Timetabling Problem

The terminology and definition of the timetabling problem are described in this section.

#### Terminology

## **Student Group**

Group of students admitted in a particular major during the same academic year

## Timeslot

The time allotment between the particular teacher and the student group for a meeting.

## Class

Denotes the meeting in a particular timeslot between the student group and teacher.

## **Major Class**

Each student belongs to a particular major like Civil Engineering, Mechanical Engineering, and Automobile Engineering etc. Each Major is considered as a Department or Discipline.

#### Period

Represents a particular timeslot

#### **Meeting Conflict**

Same Student group or same teacher allotted more than once at the same time.

#### Course

Represents a major or discipline.

#### **Time Interval**

The group of meetings which are held during the particular time period in a day.

#### The Set of Constraints

The set of Constraints in a timetabling problem can be stated as follows:

- 1. Some meetings must not be assigned to some specific timeslots.
- 2. Some meetings must be assigned to some specific timeslots.
- 3. In the timetable of each teacher, there should be idle timeslot between two meetings.
- 4. Required number of specific rooms are available for all meetings.
- 5. At any time interval more than one meeting must not be assigned to any student/teacher.
- 6. Saturday shall be used only after other scheduling possibilities are exhausted.
- 7. Some Meetings such as laboratory class may be held outside the regular timeslots if all scheduling possibilities are exhausted.
- 8. Any particular timeslot can be freed
- 9. All teachers must fulfill their weekly workload.

Here 5, 9 are physical constraints. 1, 2, 4, 8 are specification constraints. 3, 6, 7 are preference constraints.

#### **The Problem Representation**

The timetabling of an individual department of a college or for the entire college/institution can be represented as a constraint satisfaction problem (CSP). A CSP is a pair of (X,T,C) where X is a two dimensional array where row denotes the number of group of students in a department/in the entire college/institution (n) and column denotes the total number of timeslots in a week (m) for a group. T is a finite set of teachers  $\{t_1, t_2, \dots, t_n\}$  represented by their weight. The teachers are represented by binary 2<sup>n</sup> where n is the number of the teacher. If there are n teachers the teachers are represented as  $2^1, 2^2, 2^3, \dots, 2^n$ . The problem is to assign to each element of X by a value from T subject to the set of constraints C. The assignment has to satisfy all physical and specification constraints in C and minimize the number of preference constraint violations. The main objective is to minimize preference constraint violations (i.e. the number of meetings which are handled by the same teacher continuously should be minimized). If the value of a timeslot is already allotted (such as Laboratory) and if next timeslot is also allotted with the same value then that is not considered as a violation.

#### **Proposed methods**

Two different methods

- 1. Physical Weight Method
- 2. Binary Weight Method are proposed.

The steps involved in the proposed methods are explained below.

#### **Physical Weight Method**

- 1. Assign binary Weight to each teacher based on the number of teachers. (For i<sup>th</sup> teacher it will be 2<sup>i</sup>).
- 2. Create a two dimensional array X. Based on the number of student groups in a department/institution calculate the number of rows(n) and depending on the number of timeslots per day and the number of working days per week calculate the total number of timeslots in each column (m). Here each row represents a particular time interval. In a Polytechnic College there are 7 timeslots per day and 5 working days per week.
- 3. Fix the group and the maximum number of periods or lessons each teacher has to handle per week for each student group.
- 4. Generate binary weight randomly that many times equivalent to the number of periods to be handled by the teacher and fit this in a two dimensional array X.
- 5. Rearrange the values in the array in such a way that the physical and specification constraints mentioned earlier are met.
- 6. Repeat step 4 and 5 that many times equivalent to the number of populations. Let it be named as  $P_1$ ,  $P_2$ ,  $P_3$ , ..., $P_r$ .
- 7. Choose any two populations randomly (Let it be  $P_i$ ,  $P_j$  where  $i \neq j$  and  $i, j \leq r$ ). Population selected in the previous selections should not be considered again.
- Do the two point multiple years crossover with the selected populations (P<sub>i</sub>, P<sub>j</sub>).
  - a) Choose the beginning student group randomly.
  - b) Choose the ending student group randomly.
  - c) Interchange the elements of the selected student groups between both the populations. After cross over process let us assume  $P_i$ ,  $P_j$  are converted as  $O_1$ ,  $O_2$ .

INITIAL	MA		MB	MC	PA	PB		РС	СА	СВ	CC	EA	EB
WEIGHT		4	8	16	32		64	128	256	512	1024	2048	4096
I MECH		7	0	0	4 Fixed (Computer lab)	2 Fixed lab)	(Physics	3	0	2 Fixed (Chemistry lab)	3	4	0
I AUTO		0	7	0	0	2 Fixed lab)	(Physics	3	4 Fixed (Computer lab)	2 Fixed (Chemistry lab)	3	4	0
I CIVIL		7	0	0	2 Fixed (Physics lab)	,	3	0	2 Fixed (Chemistry lab)	3	4 Fixed (Computer lab)	4	0
I CSC		0	7	0	2 Fixed (Physics lab)		3	4 Fixed (Computer lab)	2 Fixed (Chemistry lab)	3	0	0	4
I EEE		0	0	7	3		0	2 Fixed (Physics lab)	3	4 Fixed (Computer lab)	2 Fixed (Chemistry lab)	0	4
I ECE		0	0	7	3	4 Fixed lab)	(Computer	2 Fixed (Physics lab)	3	0	2 Fixed (Chemistry lab)	0	4

Table 1 : Science / English Department Work Allotment (Code 2)

Table 2 : Mechanical Engineering Department Work Allotment (Code 4)

INITIAL	MEA	MEB	MEC		MED		MEE		MEF		MEG	
WEIGHT	8	16	3	32		64	1	28		256	1	512
II MECH	6 Lab Fixed	0		6	6 Lab Fixed			5	6 Lab Fixed			6
III MECH	0	6	6 Lab Fixed			6	6 Lab Fixed			5	6 Lab Fixed	
I MECH	0	6 Engineering Drawing Fixed		0		0		0		0		0
I AUTO	0	0	6 Engineering Drawing Fixed			0		0		0		0
I CIVIL	0	0	C	0	6 Engineering Drawing Fixed			0		0		0
I CSC	0	0		0	C	0	6 Engineering Drawing Fixed			0		0
I EEE	0	0		0		0	0	0	6 Engineering Drawing Fixed			0
I ECE	0	0		0		0		0	6	0	6 Engineering Drawing Fixed	

- 9. In each time interval there may be a possibility that same teacher weight placed more than once in O<sub>1</sub>, O<sub>2</sub>. This may be corrected by applying mutation.
  a) Take the i<sup>th</sup> time interval and check for the existence of duplicates. If exist for
  - a) Take the i<sup>th</sup> time interval and check for the existence of duplicates. If exist for each timeslot  $k_1$  (excluding fixed slots) in the i<sup>th</sup> time interval go to step b else go to step c.
- b) Check whether the same teacher is placed in the  $i^{th}$  time interval more than once.

If so interchange the particular teacher with the  $j^{th}$  time interval teacher of the same group (where  $j = 1, 2, ..., m, j \neq i, m =$  total number of time intervals) in such a way that the interchange will not cause placing of same teacher more than once in both i and  $j^{th}$  time intervals.

INITIAL	EA		EB	EC		ED		EE		EF		EG	
WEIGHT		16	32		64	12	28	2	56	5	12	1	024
II AUTO	6 Lab Fixed		0		6	6 Lab Fixed			5	6 Lab Fixed			6
III AUTO		0	6	6 Lab Fixed			6	6 Lab Fixed			5	6 Lab Fixed	
I MECH		0	4 Work Shop Fixed		0		0		0		0		0
I AUTO		0	0	4 Work Shop Fixed			0		0		0		0
I CIVIL		0	0		0	4 Work Shop Fixed			0		0		0
I CSC		0	0		0		0	4 Work Shop Fixed			0		0
I EEE		0	0		0		0		0	4 Work Shop Fixed			0
I ECE		0	0		0		0		0	-	0	4 Work Shop Fixed	

Table 3: Automobile Engineering Department Work Allotment (Code 8)

 Table 4 : Civil Engineering Department Work Allotment (Code 16)

INITIAL	CA		СВ	CC	CD		CE		CF
WEIGHT		32	64	]	128	256		512	1024
II CIVIL		5	6 + 3 Lab Fixed	6 Lab Fixed		6	6 Lab Fixed		3 Lab Fixed
III CIVIL			6 Lab Fixed	6 + 3 Lab Fixed	6 Lab Fixed			5	6 + 3 Lab Fixed

 Table 5 : Computer Science Engineering Department Work Allotment (Code 32)

INITIAL	CSCA		CSCB	CSCC	CSCD		CSCE		CSCF	
WEIGHT		64	128	2	256	512		1024		2048
II CSC		5	6 + (3 Lab Fixed)	6 Lab Fixed		6	6 Lab Fixed		3 Lab Fixed	
III CSC			6 Lab Fixed	6 + (3  Lab Fixed)		0		5	6 + (3  Lab Fixed)	
III EEE					6 Lab Fixed					

Table 6 : Electrical and Electronics Engineering Department Work Allotment (Code 64)

INITIAL	EEEA	EEEB	EEEC	EEED	EEEE	EEEF
WEIGHT	128	256	512	1024	2048	4096
II EEE	5	6 + (3 Lab Fixed)	0	6	6 Lab Fixed	3 Lab Fixed
III EEE		6 Lab Fixed	6 + (3  Lab Fixed)	0	5	6 + (3  Lab Fixed)
III CSC				6 Lab Fixed		
II ECE			6 Lab Fixed			

 Table 7 : Electronics and Communication Engineering Department Work Allotment (Code 128)

INITIAL	ECEA	ECEB	ECEC	ECED	ECEE	ECEF
WEIGHT	256	512	1024	2048	4096	8192
II ECE	5	6 + (3 Lab Fixed)	0	6	6 Lab Fixed	3 Lab Fixed
III ECE		6 Lab Fixed	6 + (3  Lab Fixed)	6 Lab Fixed	5	6 + (3  Lab Fixed)
II EEE			6 Lab Fixed			

No. of

generation

50

100

200

500

1000

Lowest Cost

Binary

Weight

49

49

55

54

47

Physical

Weight

54

46

51

51

55

 Table 8 : Comparison of Time and Cost

Binary

Weight

36 Sec

68 Sec

122 Sec

291 Sec

645 Sec

Time

Physical

Weight

35 Sec

70 Sec

135 Sec

344 Sec

670 Sec

c) Increment i by 1 and if  $i \le m$  go to step 9(a).

10. Repeat steps 7 to 9 till all the populations are considered.

- 11. If a teacher is assigned two classes consecutively then penalty cost value of 1 is added. Using this approach total penalty cost value is calculated for each population.
- 12. Choose the best based on the penalty value among the generated populations of  $O_1, O_2, O_3...O_n$  and replace the high penalty value population with the low penalty value population.
- 13. Store the population and the penalty value of the best population as the p<sup>th</sup> element in an array called leastcost.

The san	iple outp	ut for the	entire in	stitution	is show	n below	,							
day1							da	y <b>3</b>						
EA MEA MEF PB EG EC MA CB CC MB CSCB CSCB CSCC CB EEEB EEEF EB ECB ECC	PA MEA MEB PB EE EC CC PC CC CC PC CSCB CSCC CB EEEB EEEE ECA ECB ECC	PA MEA MEC EA EA EC CB CC PC CSCB CSCE CB EEEB EEEB ECB ECF	PA MEE MEE EA EF CA CB CC CC CC CC CC CC CC CC CC CC CC CC	PA MEE MEC CC EA ED MA CD CC CSCD CSCD EB EEED EEEB PB ECF ECB	EA MEC MEF PC EC EB MA CA CB MB CSCA CSCB MC ECB ECD ECD ECB	MA MEG MED CC EG ED CB CA CB MB CSCD CSCB MC EEED EEEB PB ECF ECB	MA ME EC ED EB CC CE PA CSC CSC ME EEE EEE EEE ME ME	H E CFF ECG	CB MED MEE EC ED CC CC CF PA CSCC CSCE MEF EEEE EEEF MEG ECC ECC	CB MED MEE EC ED EE CC CC CC PB CSCC CSCC CSCC CSCC CSCC MEF EEEE EEEF MEG ECC ECC	MA MED MEH EC EG EE CC CD EB CSCB CSCB CSCB CSCB CSCB CSCB CSCB C	PC MEG MEB CC EE ED EA CD MEE CD MEE CSCA CSCA CSCC CA EEED EEEC PA ECB ECD	MA MEC MEF CB EG EF PB CA CD MEE CSCD CSCC MC EEED EEEC CC CC ECA ECD	PC MEG MEH CB EC EF MA CB CE MEE CSCB CSCC CA EEEB EEEC CC ECF ECD
day2							da	y4						
PB MEA MED CA EA EG PA CC CF MB CSCC CSCF PC EEEE EB EEEC EB ECE ECE ECE	PB MEA MEC CA EA EG PA CC CB CA CSCC CSCB PC EEEE EEEC MC ECE ECB	EA MEA MEC CA EG MA CC CB CC CC CC CC CC CC CSCC CSCC EB EEEE EEEE	EB MEE MEC CA EC EF ED CD CB MB CSCD CSCB PA EEEB EEEE EB ECCB ECE	EB MED MEH PC EG EC ED CA CC MB CSCD CSCC MC EEED EEEB CA ECC ECC	EB MED MEF EA EC ED CD CF EB CSCB CSCF CC EEED EEEB PC ECB ECC	EB MED MB EE EC ED CD CC CB CSCD CSCC CC EEEA EEEB PC ECD ECF	MI MI PC ED EF CC CC CC CC CC CC CC CC CC CC CC CC CC	EB EC ED CE FEE GF EE	MEB MEF ME ED EE MED CF CB CSCE CSCF CSCF MC EEEF EEEC MEG ECD	MEB MEF MEE EA ED EE CC CC CD PB CSCE CSCF EB EEEF EEEE ECD	CC MEF MED MB EG EE CB CB CD EB CSCA CSCE CA EEEA CSCD PA ECB ECD	EA MEH MEC EF EB MA CF CD MEE CSCB EEED MEF ECC CSCD MC EEEC ECE	PC MEH MEG EF ED CB CF CF CF CF CF CF CSCB EEED MEF ECC CSCD MC EEEC ECF	MA MEH MEG EF EB EA CF CC CC MEE CSCA EEED MEF ECC EEEF MC EEEC ECF
			day5 MEB MEF MEH MB EE EG MED CD	MEI MEI EA EC EG MEI CB	B MI F MI H MI EC EC D MI CE	EB EF EH B S S ED	MA MEE MB EC EB EA CE CE	C M M El Fl C	C EH EG EC F D B E	CC MEH MEG EF ED EA CD CE	MA MEE MEF EF EB PB CB CE			

If interchange causes placing of same teacher more than once in any one of the i and j<sup>th</sup> time interval then increment j by 1 and if j < m go to step c else the solution is infeasible and go to step 8.

PB

EF

CSCF

CSCE

EEEB

CSCD

MC

ECB

ECF

EE

EF

CSCF

CSCE

EEEA

CSCD

EEEC

MC

ECF

EE

EF

CSCF

CSCC

EEEA

CSCD

EEEC

MC

ECF

EE

EF

CSCB

EEED

EEEB

EEEF

EEEC

ECC

EG

EE

CSCE

EEED

MC

ECC

EEEF

EG

ECD

ECE

СВ

EΒ

ECC

EEEF

EG

ECD

ECF

CSCE

EEED

MB

PA

ECC

EEEF

EG

ECA

ECF

CSCE

CSCC

- 14. Increment the number of generations by 1 and increment p by 1.
- 15. Repeat steps from 7 to 11 until the required number of generations are generated.

16. Choose the best population among the stored populations in leastcost array.

### **Binary Weight Method**

While doing steps 9a and 9b in physical weight method there will be more number of physical comparisons has to be carried out .

- 1. to find whether a particular element is present in the given set of elements
- 2. and to find the existence of duplicate element in the given set of elements.

In Binary weight method the following two different approaches are handled while doing steps 9a and 9b. Suppose if there are set of elements  $S_1, S_2, S_3, \ldots, S_n$  and to search for any particular element say  $S_x$  in the above set a maximum of n comparisons are to be made. If all the elements are binary weighted, bitwise arithmetic OR operation can be performed on elements of the set and a value  $Q_1$  can be obtained. To this  $Q_1$ , bitwise arithmetic OR operation can be done with  $S_x$  and store it as  $Q_2$ . If both  $Q_1$  and  $Q_2$  are equal then search element is present otherwise search element is not present. To find if any of the element is duplicated in a set of elements  $S_1, S_2, S_3$ ..... $S_n$ , if all the elements are binary weighted then

- a) Find the sum of the decimal values of the  $(S_1 + S_2 + S_3 + \dots S_n)$  and store in  $Q_3$
- b) Perform arithmetic bitwise OR operator on  $(S_1, S_2, S_3 \dots S_n)$  and store the decimal value of the result in  $Q_4$

If  $Q_3$  and  $Q_4$  are not equal then some of the elements are duplicated otherwise no element is duplicated.

# **EXPERIMENTAL RESULTS**

Tests were done on the real life data of a Polytechnic College. Our main intention is assignment of classes for the entire college. Since we are giving binary weight to teachers there is a limitation in generation of binary weight based on the system configuration. Initially one department is processed as given in the example, then while processing next department already allotted meetings of previous department teachers considered as fixed and one similar weight is given to all processed teachers belong to the same department so that the already assigned weights can be reused for next group. In this manner all departments are processed sequentially one by one. The work allotment and the weight allotment of each department and the respective student group is tabulated below. If there are any Lab hours those are treated as Fixed and allotment carried out accordingly. HCL machine having P IV Intel processor with 1GB main memory and Microsoft visual studio version 2005 Vb.net is used to run all tests. It is found that if number of duplicates are less then binary weight method is faster than physical weight method. Constraint violations need to be reduced further.

#### Conclusions

In this we have proposed two different methods one using binary weight and another one using ordinary weight. A new kind of sequential evaluation process including selective two point multiple years crossover and mutation is introduced. Both the methods proved to useful in course timetabling problem of entire institution or group of departments. Currently working on another mutation process which is reducing the penalty cost and handling multiple objective functions and also working on Engineering College Timetabling and also working on exam timetabling using this similar approach. Also working on processing all groups in parallel and running all at the same time without grouping.

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